

# The Simons Observatory: Gain Calibration in the Small-Aperture Telescopes

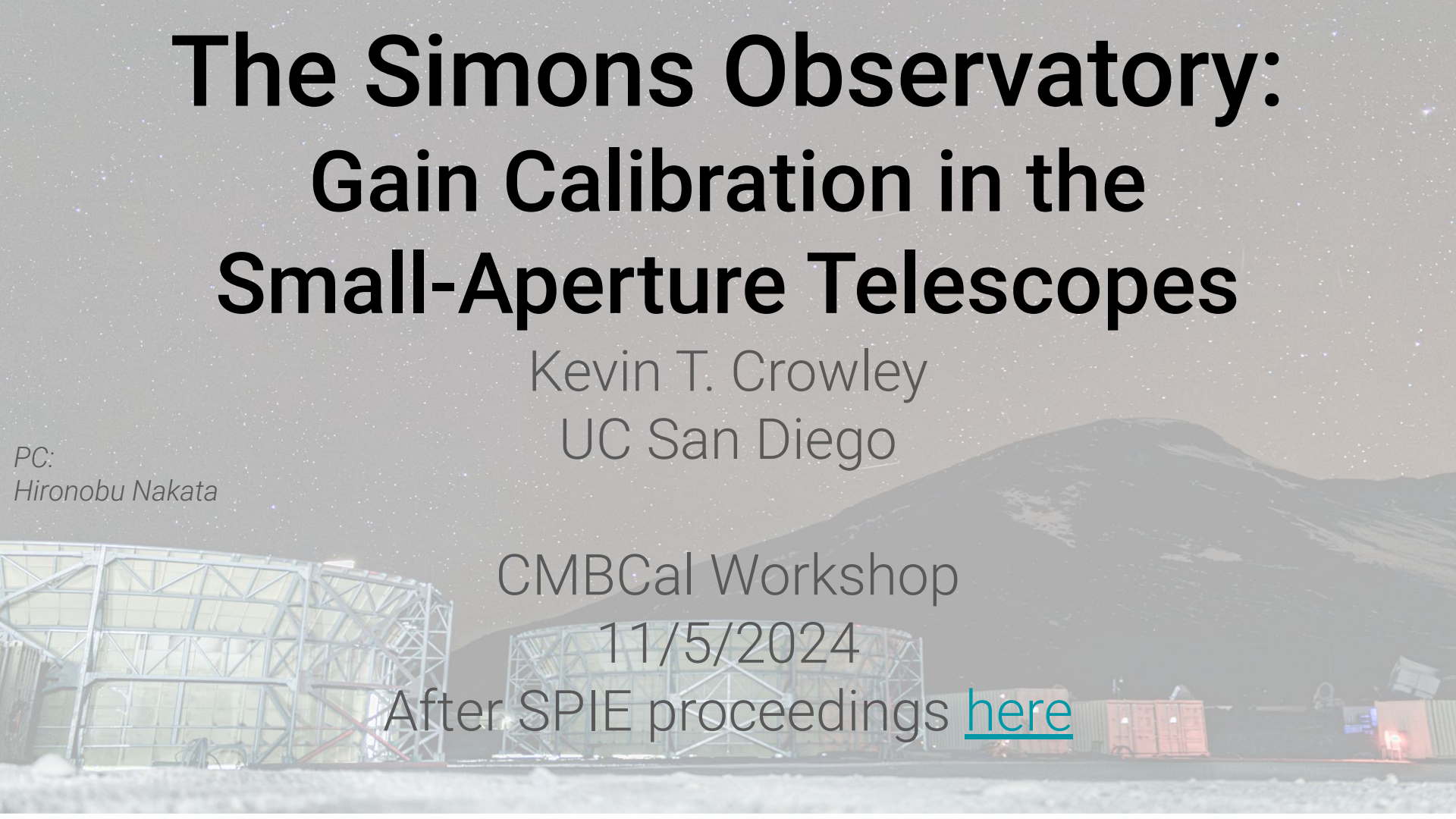
Kevin T. Crowley  
UC San Diego

PC:  
*Hironobu Nakata*

CMBCal Workshop

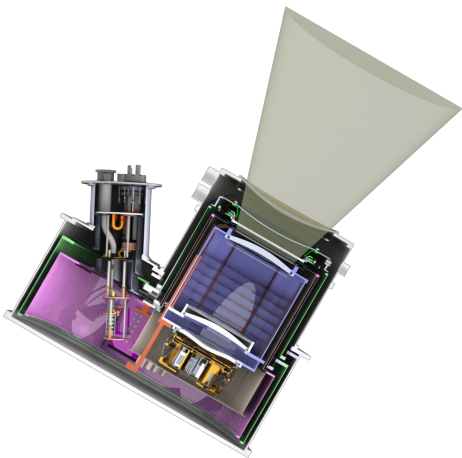
11/5/2024

After SPIE proceedings [here](#)



# Motivation

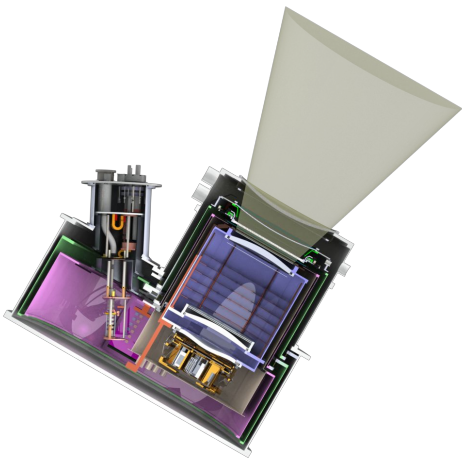
- Imagine you are working on a new CMB instrument in the field and
  - The initial cooldown is complete
  - At least some detectors are working
  - Your telescope can be pointed by its platform
- What is the most likely question your supervisor will have?



# Motivation

- Imagine you are working on a new CMB instrument in the field and
  - The initial cooldown is complete
  - At least some detectors are working
  - Your telescope can be pointed by its platform
- What is the most likely question your supervisor will have?

## What are the NETs?



# How do you answer the question?

+

## What do I mean by “gain”?

$$\boxed{\text{NET}} = \frac{1}{\sqrt{2}\eta} \frac{\delta T}{\delta P} \text{NEP} = \frac{1}{\sqrt{2}\eta} \frac{\delta T}{\delta P} (S^{-1} \boxed{\text{NEI}})$$

Noise in brightness  
temperature units  
(per  $\sqrt{\text{rt[integration second]}}$ )

Noise in TES current  
calibrated by readout  
resistances  
(per  $1/\sqrt{\text{rt[Hz]}}$  bandwidth)

# How do you answer the question?

+

## What do I mean by “gain”?

**Absolute calibration**  
May be formed from  
coadded data

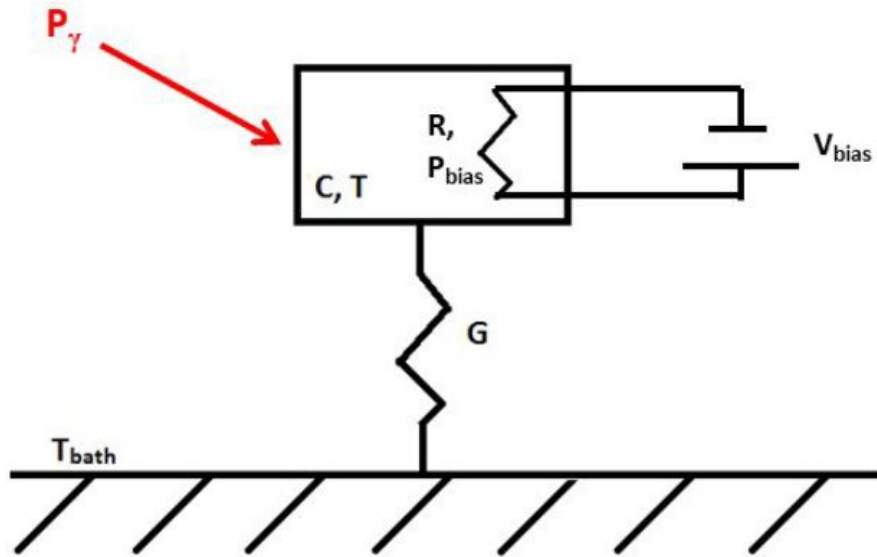
$$\text{NET} = \frac{1}{\sqrt{2}\eta} \frac{\delta T}{\delta P} \text{NEP} = \frac{1}{\sqrt{2}\eta} \frac{\delta T}{\delta P} (S^{-1} \text{NEI})$$

**Part 2:**  
Relative  
efficiency

**Part 1:**  
Responsivity

# SO responsivity input: the model

- Power balance equation holds in small signal limit for times  $>$  time constant



$$\Delta P_{\gamma} + \Delta P_{\text{bias}} = \Delta P_{\text{th}} \text{ (power to bath)}$$

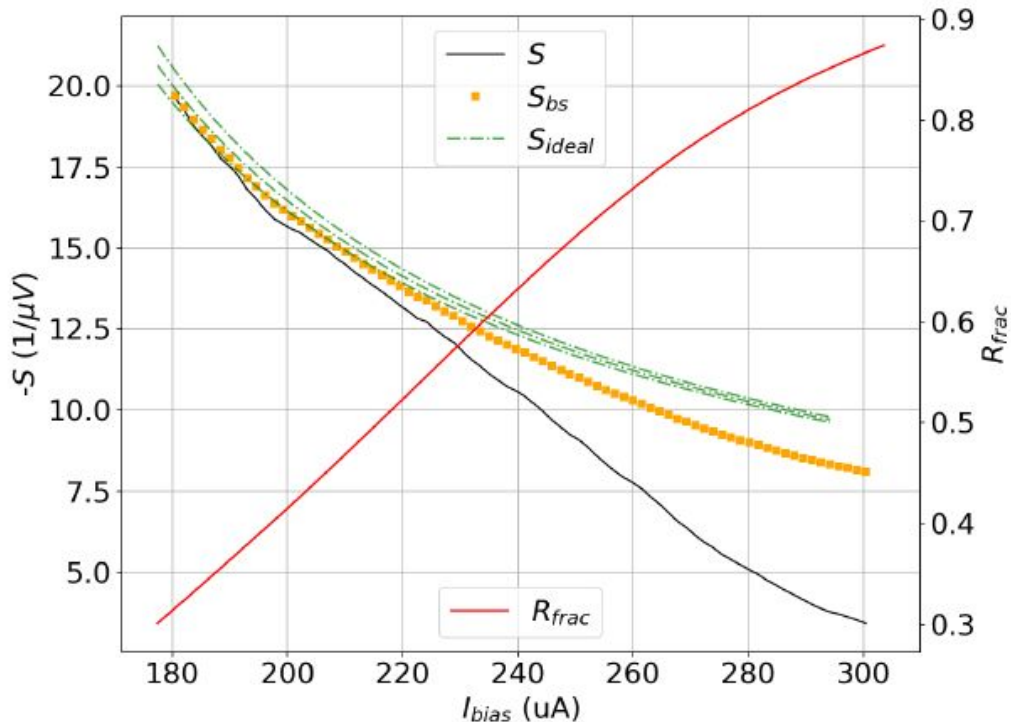
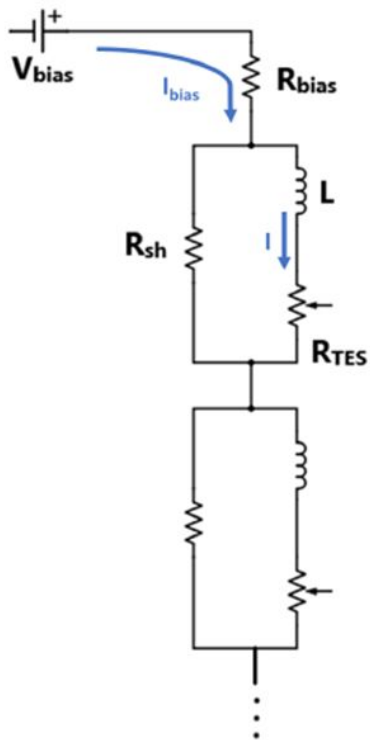
$$\Delta P_{\text{bias}} = \Delta P_J = I(R_{\text{TES}} - R_{\text{sh}})\Delta I + IR_{\text{sh}}\Delta I_{\text{bias}}$$

$$\Delta P_{\gamma} = G F \Delta R_{\text{TES}}(I, I_{\text{bias}}) - \Delta P_J$$

For large loop gain ( $F \rightarrow 0$ ):

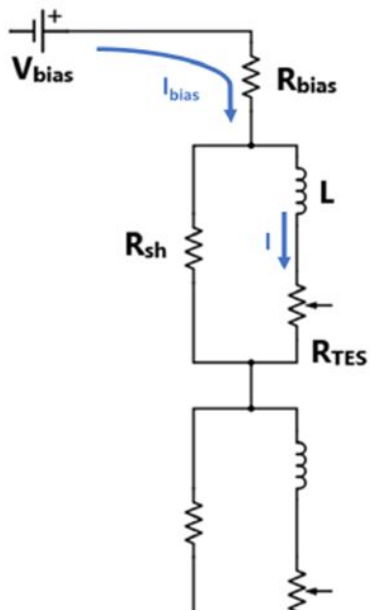
$$S_{\text{ideal}} = -\frac{1}{R_{\text{sh}}(I_{\text{bias}} - 2I)}$$

# S0 responsivity model: I-V input



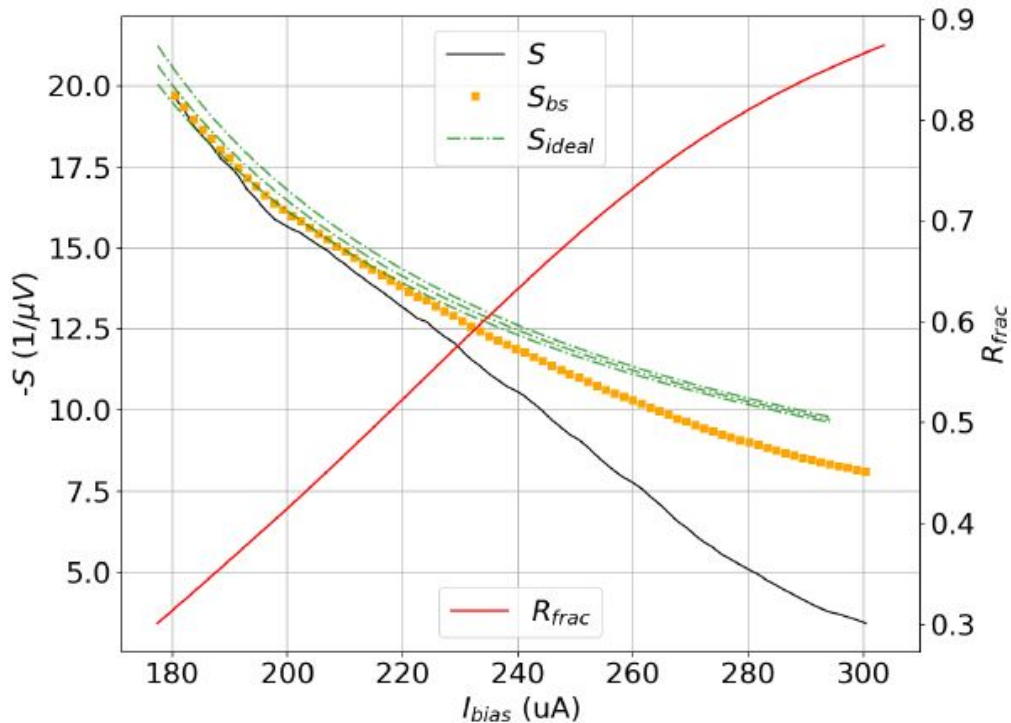
- Control  $V_{TES}$  using  $V_{bias} \rightarrow I_{bias}$
- Record  $I_{TES}(V_{TES})$  or  $I_{TES}(I_{bias})$ 
  - Calibration to absolute units w/in I-V
- Estimate responsivity at each point

# S0 responsivity model: I-V input



$$S_{bs} = \frac{2A - 1}{R_{sh} I_{bias}}$$

$$S = -\frac{1}{R_{sh} (I_{bias} - 2I)} \left[ \frac{(I_{bias} - 2I)(I_{bias} - IA^{-1})}{2IA^{-1}(I - I_{bias})} \right]$$

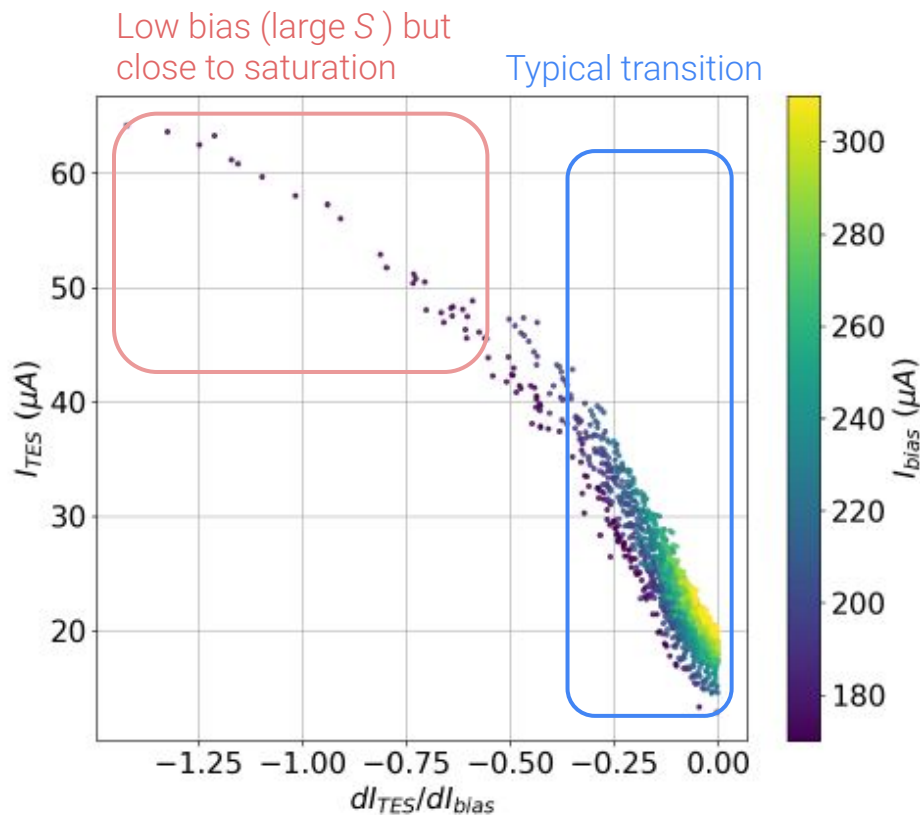


- $S_{bs}$  = using bias step output  
 $A = dI/dI_{bias}$  only
- $S$  = using  $I$ ,  $I_{bias}$   $A = dI/dI_{bias}$

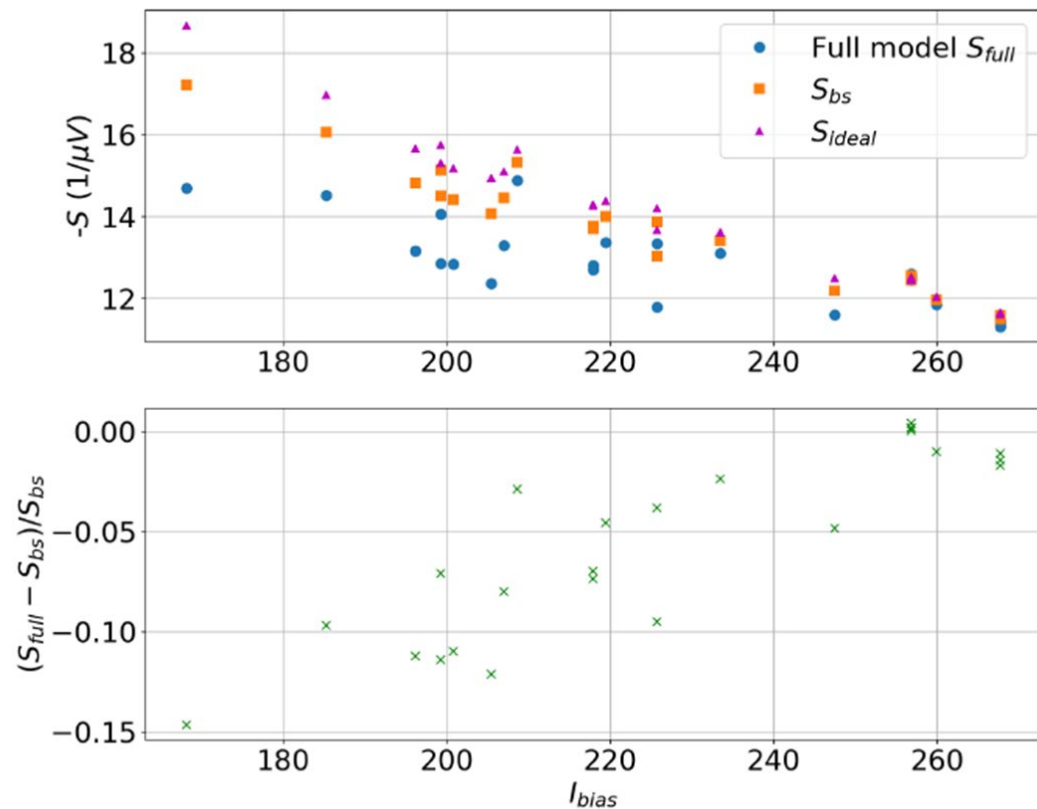


# Recovering I without direct I-V data

- $O(100)$  I-Vs in test case (single channel)
- Form bins in  $I_{bias}$
- Fit  $I$  (y-axis) vs.  $A$  (x-axis) in each bin
- For range of bias step datasets:
  - Estimate  $I$  from measurement of  $A$  in appropriate  $I_{bias}$  bin

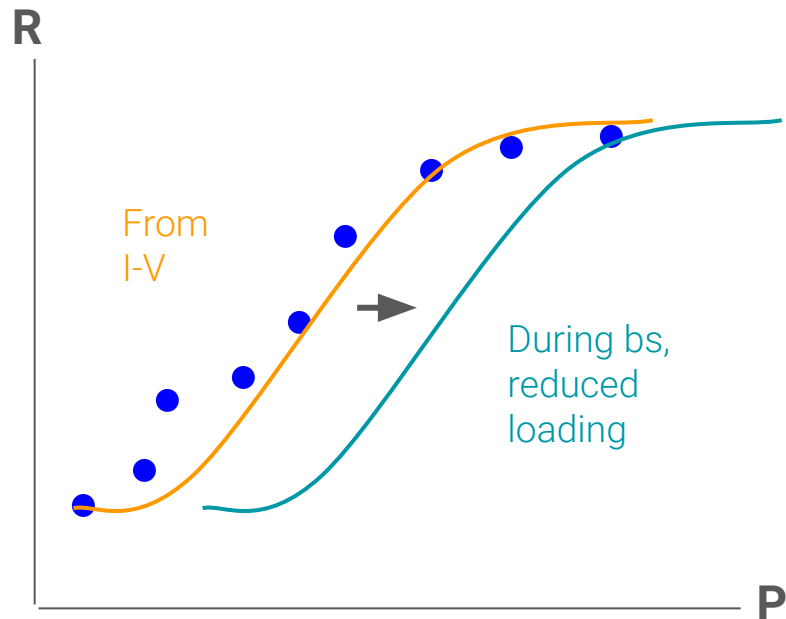


# Comparing responsivity estimates



# Alternative path: model transition

Thanks to S Takakura, R Gerras, J Lashner



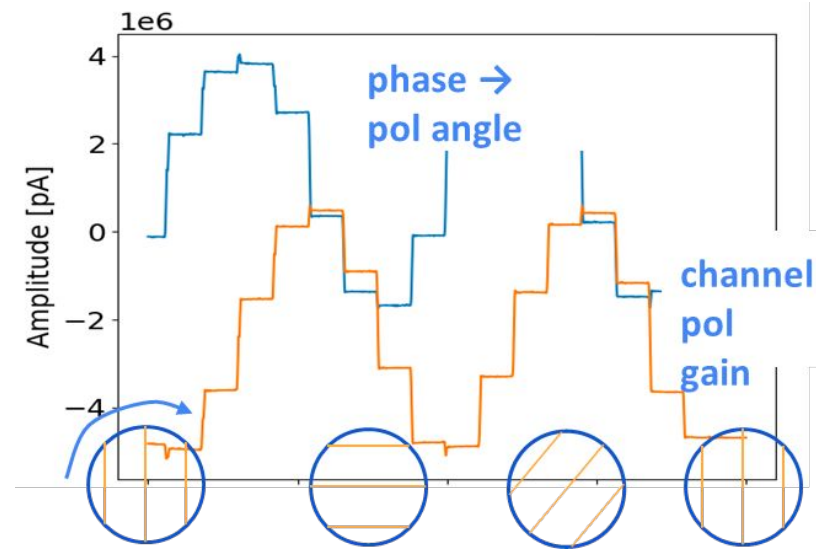
- Use fitting function to model  $R(P_j)$  curve from I-V data
  - Actually model parameter describing TES resistance sensitivity to power
- Capture change in  $P_j$ 
  - A from bias step vs. A from I-V bias point
- Recover loop gain,  $R$
- Generating results from this model currently
  - Improves  $R$ ,  $S_i$  estimates!

## Part 2: relative calibration (flat-fielding)

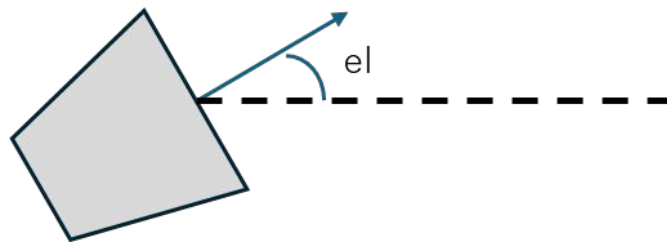
- Different detectors see different  $\Delta P_y$  for same input signal
- Methods to solve:
  - Apply source w/ flat brightness or modeled brightness distribution
  - Compare  $\Delta P_y$  for each working channel
  - Normalize each channel by “flat-field factor” (w/  $g_i \sim$  response, to be defined)

$$F_i = \text{med}(g_i) / g_i$$

- Options for SO:  
pt sources, **wiregrid**, atmosphere, elnodes



# El nods

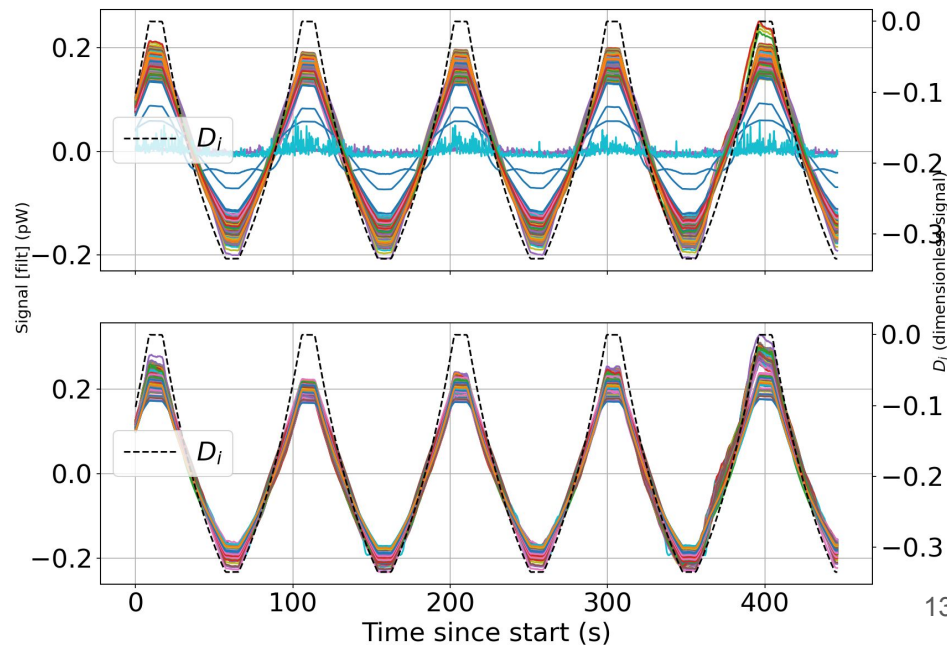


- Assuming slab model of atmospheric emission:  
Photon power  $\propto 1/\sin(\text{el})$
- Move telescope through range of elevations

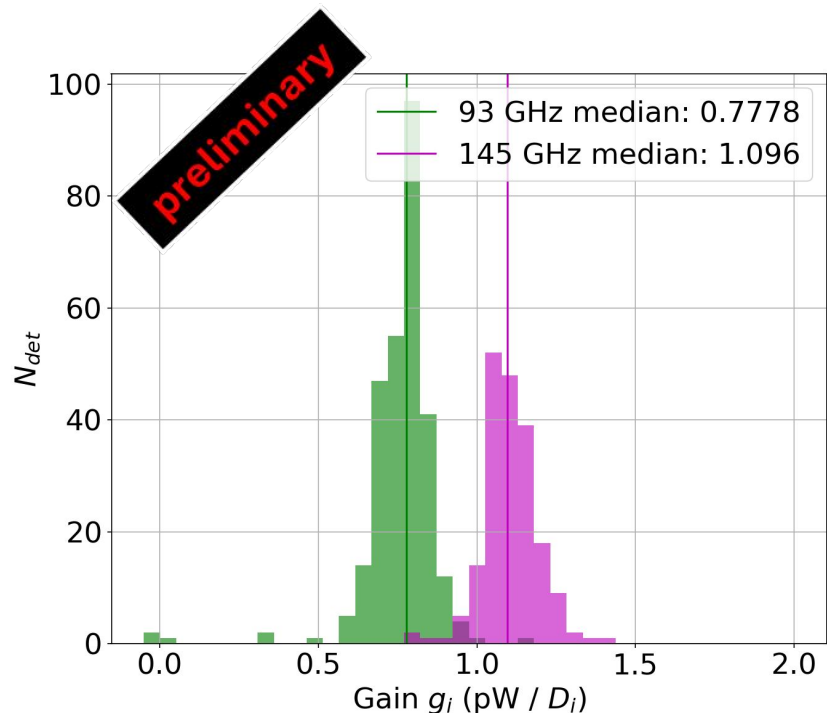
Signal  $\propto$

$$D_i = \csc(\text{el}) - \csc(\text{min}(\text{el}))$$

Single module in SAT-MF1  
All detectors passing cuts  
 $\text{el} = 50^\circ$  to  $\text{el} = 70^\circ$



# El nod results: fitted gain



Single module in SAT-MF1

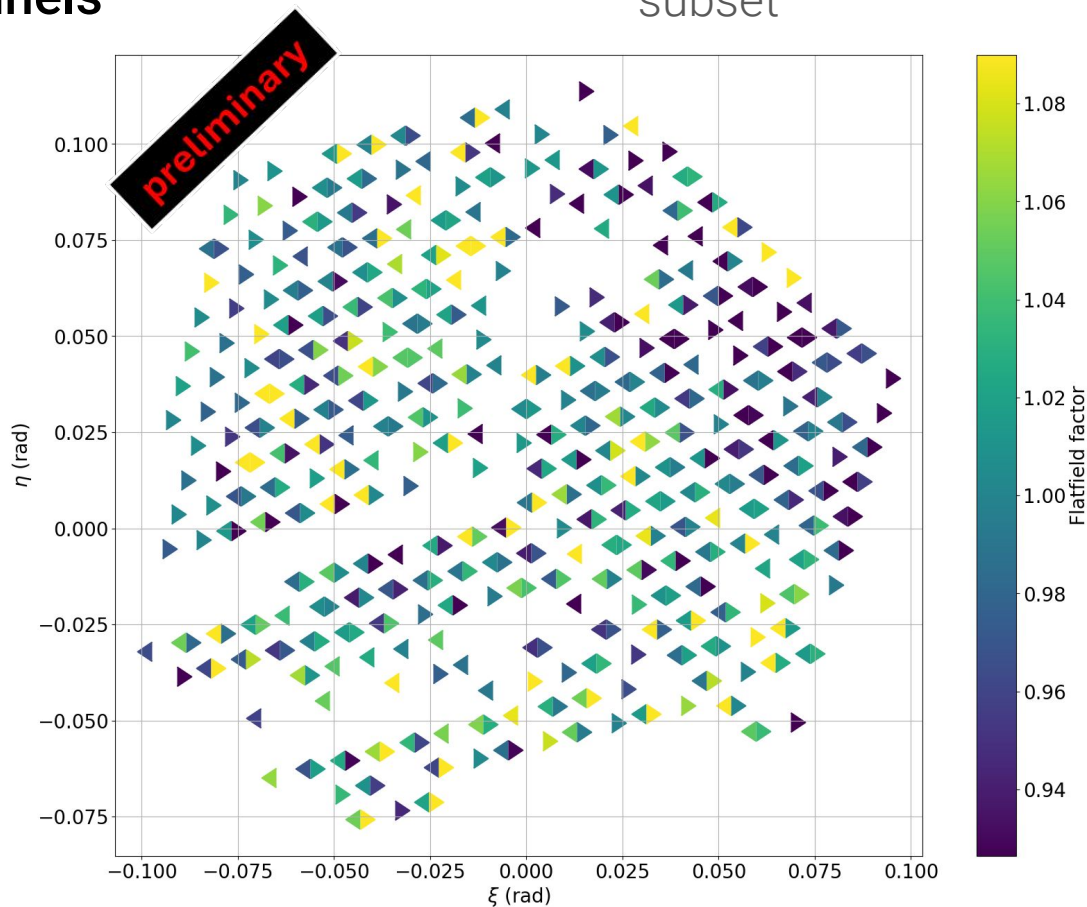
All detectors previous w/ good fits

- Fit slopes for each detector  
 $g_i = \text{pW} / D_i$
- Less sensitive to nonlinearity than amplitude estimates  
(fitted over whole range of elnod)

# El nod results: flat field factors

## 150 GHz channels

$F_i$  from slide 10 across single UFM subset



# Summary

- Detector calibration for SO exploring range of responsivities
  - Need models, fits to capture per-detector electrical response
  - Can help separate detector tuning dependence (time variation) from optical performance dependence (bandpass, efficiency variation)
- Relative calibration to optical signals has multiple paths
  - Comparison of multiple probes → cross-checks on systematic uncertainties
  - El nod + wiregrid signal amplitude comparison underway
- Detailed sensitivities from absolute calibration on planets, CMB [Planck] to come!



# Thank you!



UK Research  
and Innovation



**BACKUP**

# Ex dataset: fitting line to data

